## Progression in mathematical language: multiplication and division

| Yl | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM general statements / additional phrases |
| 2.1 | There are $\qquad$ one penny coins; the total value is $\qquad$ pence. <br> This is a $\qquad$ -pence coin. It has a value of $\qquad$ p. <br> There are $\qquad$ _c coins. Each coin has a value of $\qquad$ p. This is $\qquad$ p. The $\qquad$ costs $\qquad$ p. Each coin has a value of $\qquad$ p. So I need $\qquad$ coins. | I say two pence, but I think two one-pennies. <br> I say five pence, but I think five one-pennies. <br> I say ten pence, but I think ten one-pennies. <br> [dual counting] <br> One group of two, two groups of two, three groups of two... <br> Two, four, six .... |

## Progression in mathematical language: multiplication and division

| Y2 | National Curriculum <br> vocabulary expectations | National Curriculum |
| :--- | :--- | :--- | :--- |
|  |  content domain |  |
|  | NCETM |  |
| additional language support (sentence stems) |  |  |


| 2.2 | [before grouping] There are some $\qquad$ [after grouping] The $\qquad$ have been grouped. <br> The groups are equal because there are the same number of $\qquad$ in each group. <br> The groups are unequal because there are a different number of $\qquad$ in each group. [equal groups] <br> There are $\qquad$ equal groups of $\qquad$ <br> There are $\qquad$ in each group. <br> There are $\qquad$ groups of $\qquad$ . <br> [repeated addition] <br> There are $\qquad$ and $\qquad$ and $\qquad$ and .... <br> We can write this as $\qquad$ plus $\qquad$ plus $\qquad$ plus .... <br> [multiplication expression] <br> There are $\qquad$ groups of $\qquad$ . (which is linked to the multiplication expression) x $\qquad$ $\qquad$ <br> We can write this as $\qquad$ times . $\qquad$ <br> There are $\qquad$ groups of _. $\qquad$ <br> There are $\qquad$ 's. |  |
| :---: | :---: | :---: |
| 2.3 | _ times _ is equal to _ . | Factor times factor is equal to the product. <br> The product is equal to factor times factor. <br> Number of groups $x$ group size $=$ product. <br> Group size $x$ number of groups = product. |

## Progression in mathematical language: multiplication and division

| Y2 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM <br> general statements / additional phrases |
| 2.4 | $\qquad$ is a factor $\qquad$ is a factor. The product of $\qquad$ and $\qquad$ is $\qquad$ . <br> __ is the product of $\qquad$ and $\qquad$ . <br> _ group of $\qquad$ is equal to _. $\qquad$ _ groups of $\qquad$ are equal to $\qquad$ _. $\qquad$ times $\qquad$ is equal to . $\qquad$ $\qquad$ time is equal to $\qquad$ . $\qquad$ times is equal to $\qquad$ . $\qquad$ times $\qquad$ is equal to $\square$ . <br> The product of $\qquad$ and zero is zero. <br> The product of $\qquad$ and one is $\qquad$ . The product of one and $\qquad$ is $\qquad$ | For every one group of ten, there are two groups of five. Products in the ten times table are also in the five times table. <br> When zero is a factor, the product is zero. <br> When one is a factor, the product is equal to the other factor. |
| 2.5 | (one equation, two interpretations) $\qquad$ times $\qquad$ can represent $\qquad$ groups of $\qquad$ . <br> It can also represent $\qquad$ groups of $\qquad$ (or $\qquad$ _ , _ times). <br> If there are $\qquad$ equal groups, we can use the $\qquad$ times table. <br> There are two groups of $\qquad$ . There are $\qquad$ , two times. This is the same as double $\qquad$ . $\qquad$ , two times is the same as double $\qquad$ . <br> I know double $\qquad$ is $\qquad$ , so two groups of $\qquad$ is $\qquad$ _. <br> There are $\qquad$ altogether; half of $\qquad$ is equal to $\square$ . <br> Half of $\qquad$ is equal to $\qquad$ . Double $\square$ _ is equal to $\qquad$ -. <br> I know that double $\qquad$ is $\qquad$ ; so half of $\qquad$ is . $\qquad$ | If there are two equal groups, we can use the two times table. <br> If there are five equal groups, we can use the five times table. <br> If there are ten equal groups, we can use the ten times table. <br> If we need to double / find twice the amount, we can use the facts from the two times table. <br> Doubling a whole number always gives an even number. <br> If there are two equal groups, we can use doubling facts. <br> When one of the factors is two, the product is double the other factor and the other factor is half the product. |

## Progression in mathematical language: multiplication and division

| Y2 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM <br> general statements / additional phrases |
| 2.6 | is divided into groups of $\qquad$ . There are $\qquad$ groups. $\qquad$ is divided into $\qquad$ groups of $\qquad$ . $\qquad$ is divided into __ groups of $\qquad$ with a remainder of $\qquad$ . $\qquad$ divided into groups of $\qquad$ - <br> The $\qquad$ represents the total number of $\qquad$ . <br> The $\qquad$ represents the number of $\qquad$ in each group. $\qquad$ is the dividend. is the divisor. $\qquad$ is the quotient. <br> We can represent this as $\qquad$ divided between $\qquad$ -. $\qquad$ divided between $\qquad$ is equal to $\qquad$ each. $\qquad$ tens are equal to $\qquad$ , so $\qquad$ divided into groups of ten is equal to _. $\qquad$ | We can skip count using the divisor to find the quotient. If the divisor is ten, we can use the ten times table to find the quotient. <br> If the divisor is five, we can use the five times table to find the quotient. <br> If the divisor is two, we can use the two times table to find the quotient. <br> If the divisor is two, the quotient is half of the dividend. <br> A number is divisible by two if the ones digit is even. <br> A number is divisible by ten if the ones digit is zero. <br> A number is divisible by five if the ones digit is five or zero. <br> When the dividend is zero, the quotient is zero. <br> When the dividend is equal to the divisor, the quotient is one. <br> When the divisor is equal to one, the quotient is equal to the dividend. |

## Progression in mathematical language: multiplication and division

Y3
National Curriculum

vocabulary expectations $\quad$| National Curriculum |
| :--- |
|  |

| 2.7 | [revising from Year 2] <br> _ group of $\qquad$ is equal to . $\qquad$ <br> _ groups of $\qquad$ are equal to $\qquad$ . $\qquad$ times $\qquad$ is equal to $\qquad$ _. <br> [before shortening to...] <br> One is , two s are, three s are |
| :---: | :---: |
|  | Four is double two, so $\qquad$ fours is double $\qquad$ twos. Two is half of four, so $\qquad$ twos is half of $\qquad$ fours. |
|  | Eight is double four, so $\qquad$ eights is double $\qquad$ fours Four is half of eight, so _ fours is half of _ eights. |

For every one group of four, there are two groups of two.
Products in the four times table are also in the two times table

The product of an even number and two is a product in the four times table.

Products in the eight times table are also in the four times table.

The product of an even number and four is a product in the eight times table.
Products in the eight times table are also in the two times table.

If a number is divisible by four, halving it gives an even number.

If a number is divisible by eight, halving it twice gives an even number.

For numbers with more than two digits: if the final two digits are divisible by four then the number is divisible by four.

## Progression in mathematical language: multiplication and division

| Y3 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM general statements / additional phrases | Three is half of six, so _ threes are half of __ sixes.

Nine is triple three, so __ nines is triple __ threes.
Products in the six times table are also in the three times table.

The product of an even number and three is a product in the six times table.

For every one group of nine, there are three groups of three.
For a number to be divisible by three, the sum of the digits of the number must be divisible by three.

For every one group of six, there are two groups of three. For a number to be divisible by six, the number must be divisible by both two and three.

For a number to be divisible by nine, the sum of the digits of the number must be divisible by nine.

## Progression in mathematical language: multiplication and division

| Y3 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM <br> general statements / additional phrases |

## 2.9

Odd factor x odd factor = odd product.
If both factors are odd, the product is odd.
Odd times odd is odd.

Even factor x odd factor $=$ even product.
Even times odd is even.
and
Odd factor x even factor $=$ even product.
Odd times even is even.
If one factor are odd and the other factor is even, the product is even.
If one of the factors is even, the product is even.

Even factor x even factor $=$ even product.
Even times even is even.

When both factors have the same value, the product is called a square number. Square numbers can be represented by square arrays.

## Progression in mathematical language: multiplication and division

| Y4 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM general statements / additional phrases |
| 2.10 | The product of $\qquad$ and $\qquad$ is equal to the product of $\qquad$ and $\qquad$ - <br> [simplified to...] $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ . $\qquad$ is equal to $\qquad$ plus $\qquad$ , so $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ plus $\qquad$ times $\qquad$ . $\qquad$ is equal to $\qquad$ minus $\qquad$ , so $\qquad$ times $\qquad$ is equal to $\qquad$ times $\qquad$ minus $\qquad$ times $\qquad$ . | The product in the multiplication equation has the same value as the dividend in the matching division equation. <br> The factors in the multiplication equation have the same values aa the divisor and the quotient in the matching division equation. <br> factor $x$ ? = product <br> ? X factor = product <br> dividend $\div$ divisor $=$ quotient <br> When zero is a factor, the product is zero. <br> We should never write a calculation where the divisor is zero. <br> When the dividend is zero, the quotient is zero. |
| 2.11 |  | For every some group of twelve, there are two groups of six. <br> A two-digit number is divisible by eleven if the digits are the same. <br> For a number to be divisible by twelve, the number must be divisible by both three and four. |

## Progression in mathematical language: multiplication and division

| Y4 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM <br> general statements / additional phrases |
| 2.12 | $\qquad$ is divided into groups of $\qquad$ . There are $\qquad$ groups and a remainder of $\qquad$ $\qquad$ is divided into groups of $\qquad$ , with a remainder of . $\qquad$ $\qquad$ is divided between $\qquad$ is equal to $\qquad$ each, with a remainder of $\qquad$ . <br> The largest multiple of $\qquad$ that is less than or equal to $\qquad$ is $\qquad$ . $\qquad$ is a multiple of $\qquad$ , so when it is divided into groups of $\qquad$ there are none left over; there is no remainder. $\qquad$ is a not multiple of $\qquad$ , so when it is divided into groups of $\qquad$ there are some left over; there is a remainder. | The remainder is always less than the divisor. <br> If the dividend is a multiple of the divisor, there is no remainder. <br> If the dividend is not a multiple of the divisor, there is a remainder. |
| 2.13 | Think of $\qquad$ and make it ten times the size. <br> Think of $\qquad$ and multiply by ten. $\qquad$ multiplied by ten is equal to . $\qquad$ $\qquad$ is ten times the size of $\qquad$ . $\qquad$ divided by ten is equal to . $\qquad$ $\qquad$ multiplied by one hundred is equal to $\qquad$ $\qquad$ is one hundred times the size of . $\qquad$ | To find ten times as many, multiply by ten. <br> All multiples of ten have a ones digit of zero. <br> When a number is multiplied by ten, the product is a multiple of ten. <br> To multiply a whole number by ten, place a zero after the final digit of that number. <br> To find the inverse of ten times as many, divide by ten. <br> To divide a multiple of ten by ten, remove the zero from the ones place. |

## Progression in mathematical language: multiplication and division

| Y4 | National Curriculum |  |
| :--- | :--- | :--- | :--- |
| vocabulary expectations | National Curriculum |  |
|  |  | content domain |

[^0]ctd
To find one hundred times as many, multiply by one hundred.

All multiples of one hundred have both a tens and a ones digit of zero.

When a number is multiplied by one hundred, the product is a multiple of one hundred.
To multiply a whole number by one hundred, place two zeros after the final digit of that number.
To find the inverse of one hundred times as many, divide by one hundred.

To divide a multiple of one hundred by one hundred, remove the two zeros (from the tens and ones places).

Multiplying by one hundred is equivalent to multiplying by ten, and then multiplying by ten again.

Dividing by one hundred is equivalent to dividing by ten and then dividing by ten again.

If one factor is made ten times the size, the product will be ten times the size

If the dividend is made ten times the size, the quotient will be ten times the size.

If one factor is made one hundred times the size, the product will be one hundred times the size.
If the dividend is made one hundred times the size, the

## Progression in mathematical language: multiplication and division

| Y4 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM <br> general statements / additional phrases |
| 2.14 |  | If there are ten or more ones, we must regroup the ones into tens and ones. <br> If there are ten or more tens, we must regroup the tens into hundreds and tens. <br> If there are ten or more hundreds, we must regroup the hundreds into thousands and hundreds. |
| 2.15 |  | If dividing the tens gives a remainder of one or more tens, we must exchange the remaining tens for ones. <br> If dividing the hundreds gives a remainder of one or more hundreds, we must exchange the remaining hundreds for tens. |

## Progression in mathematical language: multiplication and division

| Y4 | National Curriculum <br> vocabulary expectations | National Curriculum <br> content domain |  |  |
| :--- | :--- | :--- | :--- | :---: |
|  |  |  |  |  |
|  | NCETM |  |  |  |
| additional language support (sentence stems) | Number - multiplication and division |  |  |  |


| 2.16 | The distance around the edge of the $\qquad$ is its perimeter. The perimeter of the $\qquad$ is $\qquad$ cm . <br> This shape has an area of $\qquad$ square units. <br> The $\qquad$ represents the $\qquad$ <br> To find the area of a rectangle, multiply the length by the width. |
| :---: | :---: |
| 2.17 | The __ is _ times the length / mass / volume of the _ . |

Perimeter is measured in units of length.
You can use addition to find the perimeter of a shape. The perimeter of a rectangle is equal to two times the length of the long side plus two times the length of the short side.

The perimeter of a square is equal to four times the length of one of the sides.

The perimeter of an equilateral triangle is equal to three times the length of one of the sides.

To find the perimeter of a regular polygon, you multiply the length of one of the sides by the number of sides.
If you know the perimeter of a regular polygon, you divide it by the number of sides to find the length of one of its sides.

We measure area in square centimetres. We write this as " $\mathrm{cm}^{2}$ ".

Area $\div$ known side $=$ unknown side (for a rectangle).

If two objects are the same length / mass / volume, one object is one times the length / mass / volume of the other.

## Progression in mathematical language: multiplication and division

| Y5 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM <br> additional language support (sentence stems) | NCETM <br> general statements / additional phrases |
| 2.18 | If I multiply $\qquad$ by łwo, I must divide $\qquad$ by two for the product to stay the same. <br> If I multiply one factor by $\qquad$ , I must divide the other factor by $\qquad$ for the product to stay the same. <br> If I multiply the dividend by $\qquad$ , I must multiply the divisor by $\qquad$ for the quotient to stay the same. <br> If I divide the dividend by $\qquad$ , I must divide the divisor by $\qquad$ for the quotient to stay the same. | If I double one factor, I must halve the other factor for the product to stay the same. |
| 2.19 | $\qquad$ times $\qquad$ ones is equal to $\qquad$ ones, so $\qquad$ times $\qquad$ tenths is equal to $\qquad$ tenths. $\qquad$ times $\qquad$ ones is equal to $\qquad$ ones, so $\qquad$ times $\qquad$ hundredths is equal to $\qquad$ hundredths. One-tenth of $\qquad$ metre (s) is $\qquad$ metre (s). $\qquad$ is one-tenth the size of $\qquad$ , so $\qquad$ times $\qquad$ is one-tenth the size of $\qquad$ times $\qquad$ . $\qquad$ is one-hundredth the size of $\qquad$ , so $\qquad$ times $\qquad$ is one-hundredth the size of $\qquad$ times . $\qquad$ <br> I move the digits of the number being multiplied $\qquad$ places to the left until I get a whole number; then I multiply; then I move the digits of the product $\qquad$ places to the right. <br> If one factor is made $\qquad$ times the size, the product will be $\qquad$ times the size. | When a number is divided by ten, the digits move one place to the right. <br> When a number is divided by one hundred, the digits move two places to the right. <br> When a number is multiplied by zero-point-one / one tenth, the digits move one place to the right. <br> When a number is multiplied by zero-point-zero-one / one hundredth, the digits move two places to the right. <br> If one factor is made one-tenth times the size, the product will be one-tenth times the size. <br> If one factor is made one-hundredth times the size, the product will be one-hundredth times the size. <br> In short multiplication, if there is a decimal point in the number being multiplied, put a decimal point in the product; line it up with the decimal point in the number being |

## Progression in mathematical language: multiplication and division

| Y5 | National Curriculum vocabulary expectations | National Curiculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM general statements / additional phrases |
| $\begin{aligned} & 2.19 \\ & \text { ctd. } \end{aligned}$ | $\qquad$ is one-tenth the size of $\qquad$ , so $\qquad$ divided by $\qquad$ is one-tenth the size of $\qquad$ divided by $\qquad$ is one-hundredth the size of $\qquad$ , so $\qquad$ divided by $\qquad$ is one-hundredth the size of $\qquad$ divided by $\qquad$ —. <br> I move the digits of the dividend $\qquad$ places to the left until I get a whole number; then I divide; then I move the digits of the quotient $\qquad$ places to the right. | When a number is multiplied by a value greater than one, the product is greater than the original number. <br> When a number is multiplied by a value less than one, the product is less than the original number. <br> If the dividend is made one-tenth times the size, the quotient will be one-tenth times the size. <br> If the dividend is made one-hundredth times the size, the quotient will be one-hundredth times the size. <br> In short division, if there is a decimal point in the dividend, put a decimal point in the quotient; line it up with the decimal point in the dividend. |
| 2.20 | The amount of space the $\qquad$ takes up is its volume. <br> The $\qquad$ has a larger / smaller volume than the $\qquad$ because it occupies more / less space. <br> This shape has a volume of $\qquad$ $\mathrm{cm}^{3}$. <br> This layer has $\qquad$ rows of cubes. <br> There are $\qquad$ $\mathrm{cm}^{3}$ cubes in this layer. <br> This layer has a volume of $\qquad$ $\mathrm{cm}^{3}$. <br> There are $\qquad$ layers of $\qquad$ $\mathrm{cm}^{3}$. <br> The volume if the cuboid is $\qquad$ $\mathrm{cm}^{3}$. | You can measure volume in cubic centimetres. You write this as $\mathrm{cm}^{3}$. <br> You can measure volume in cubic metres. You write this as $\mathrm{m}^{3}$. <br> The volume of a cuboid can be found by multiplying the length by the width by the height. <br> If you change the order of the factors, the product remains the same. <br> When you multiply three numbers, the product will be the same whichever pair we multiply first. |

## Progression in mathematical language: multiplication and division

| Y5 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM general statements / additional phrases |
| 2.21 | There are $\qquad$ tiles. There are $\qquad$ rows and $\qquad$ columns. So $\qquad$ and $\qquad$ are factors of $\qquad$ __ is a factor of $\qquad$ because $\qquad$ is in the $\qquad$ times table. $\square$ is a factor of $\qquad$ because $\qquad$ x X_= $\qquad$ $\square$ is a multiple of $\qquad$ because _ $\square$ $x^{\ldots}=$ $\qquad$ is a factor of $\qquad$ because $\square$ $\div-=$ = $\qquad$ is a multiple of $\qquad$ because $\qquad$ $\div \ldots=$ $\qquad$ | " 1 " is a factor of all positive integers. <br> Every positive integer is a factor of itself. <br> The smallest factor of a positive integer is always " 1 ". <br> The largest factor of a positive integer is always itself. <br> Numbers that have more than two factors are composite numbers. <br> Numbers that have exactly two factors are called prime numbers. |
| 2.22 |  | When there are no brackets, multiplication is completed before addition and subtraction. |

## Progression in mathematical language: multiplication and division

| Y6 | National Curriculum <br> vocabulary expectations | National Curriculum <br> content domain |
| :--- | :--- | :--- |
|  |  | Number - multiplication and division |
|  | NCETM <br> additional language support (sentence stems) | NCETM <br> general statements / additional phrases |

2.23

To multiply multiples of ten, one hundred or one thousand, remove the zeros, find the product of the singledigit numbers and then replace the zeros.

To multiply by a multiple of ten, use short multiplication by a single-digit number and then multiply by ten.

To multiply by a multiple of one hundred, use short multiplication by a single-digit number and then multiply by one hundred.

To multiply by a multiple of one thousand, use short multiplication by a single-digit number and then multiply by one thousand.

To multiply two two-digit numbers, first multiply by the ones, then multiply by the tens, and then add them together.

To multiply a three-digit number by a two-digit number, first multiply by the ones, then multiply by the tens, and then add them together.
When multiplying, you can write a composite number as factor $\mathbf{x}$ factor and use the associative law to make the calculation more efficient.

## Progression in mathematical language: multiplication and division



## Progression in mathematical language: multiplication and division

| Y6 |
| :--- |
| National Curriculum <br> vocabulary expectations |
|  National Curriculum <br> content domain  |


| $\begin{aligned} & 2.25 \\ & \text { ctd. } \end{aligned}$ | If I multiply the divisor by $\qquad$ and keep the dividend the same, I must divide the quotient by <br> If I divide the divisor by $\qquad$ and keep the dividend the same, I must multiply the quotient by |
| :---: | :---: |
| 2.26 | The $\qquad$ represents the $\qquad$ <br> The dividend is $\qquad$ <br> The divisor is $\qquad$ because $\qquad$ . <br> The mean is $\qquad$ $\div=$ . $\qquad$ |

If I double the divisor and keep the dividend the same, I must halve the quotient.

If I multiply the divisor by two and keep the dividend the same, I must divide the quotient by two.

If I halve the divisor and keep the dividend the same, I must double the quotient.

If I divide the divisor by two and keep the dividend the same, I must multiply the quotient by two.

The mean is the size of each part when a quantity is shared equally.
The mean is the total of the numbers divided by how many numbers there are.

If the number of values in the set stays the same and the total increases, the mean also increases.

If the number of values in the set stays the same and the total decreases, the mean also decreases.

## Progression in mathematical language: multiplication and division

| Y6 | National Curriculum vocabulary expectations | National Curriculum content domain |
| :---: | :---: | :---: |
|  |  | Number - multiplication and division |
|  | NCETM additional language support (sentence stems) | NCETM <br> general statements / additional phrases |
| 2.27 | For every $\qquad$ , there are $\qquad$ <br> The length of one of the sides of the square is $\qquad$ times the length of one of square . $\qquad$ <br> The side-length of a square $\qquad$ is $\qquad$ times the side-length of square $\qquad$ . <br> To change shape $\qquad$ into shape $\qquad$ , scale the side-lengths by a scale factor of $\qquad$ - <br> The ratio of the dimensions of shape $\qquad$ to the dimensions of shape $\qquad$ is equal to $\qquad$ -to $\qquad$ - <br> To change shape $\qquad$ into shape $\qquad$ , scale the dimensions by a scale factor of . $\qquad$ | If the scale factor is greater than one, the shape is made larger. We can say the shape is enlarged. <br> If the scale factor is one, the shape is the same size. <br> If the scale factor is less than one, the shape is made smaller. We can say the shape is reduced. |
| 2.28 |  | When there are no brackets, division is completed before addition and subtraction. <br> When two dividends are divided by the same divisor, we can add the dividends first and then divide. <br> When two dividends are divided by the same divisor, we can subtract the dividends first and then divide. |

## Progression in mathematical language: multiplication and division

| Y6 | National Curriculum <br> vocabulary expectations | National Curriculum <br> content domain |
| :--- | :--- | :--- | :--- |
|  | NCETM <br> additional language support (sentence stems) | Number - multiplication and division |


| 2.29 |  | When a number is multiplied by one thousand, the digits move three places to the left. <br> When a number is divided by one thousand, the digits move three places to the right. <br> Dividing by one thousand is equivalent to multiplying by one thousandth. <br> When a number is multiplied by 0.001 /one thousandth, the digits move three places to the right. |
| :---: | :---: | :---: |
| 2.30 | A $\qquad$ is a parallelogram because $\qquad$ <br> The base is _. $\qquad$ <br> The perpendicular height is $\qquad$ . <br> The area is $\qquad$ - <br> The area is $\qquad$ square units. | A parallelogram is a quadrilateral with opposite sides that are parallel and equal in length. <br> A parallelogram can be made into a rectangle that has the same area. <br> To find the area of a parallelogram multiply the base by the perpendicular height. <br> A triangle is a 2D shape with three sides and three angles. It can be classified by the length of its sides and the sizes of its angles. <br> We can count squares to find the area of a triangle. <br> Two right-angled triangles that are the same can be joined to make a rectangle. |

## Progression in mathematical language: multiplication and division

| Y6 | National Curriculum <br> vocabulary expectations | National Curriculum <br> content domain |
| :--- | :--- | :--- |
|  | NCTM |  |
|  | NCETM |  |
| additional language support (sentence stems) | Number - multiplication and division |  |


| $\begin{aligned} & 2.30 \\ & \text { ctd } \end{aligned}$ | The distance around the edge of the ___ is its perimeter. | Two triangles that are the same can be joined to make a parallelogram. <br> A parallelogram can be divided into two triangles. <br> To find the area of a triangle multiply the base by the perpendicular height and then divide by two. <br> Shapes can have the same perimeter but different areas. <br> Shapes can have the same areas but different perimeters. <br> When a shape has been transformed by a scale factor, the perimeter is also transformed by the same scale factor. |
| :---: | :---: | :---: |


[^0]:    2.13

